

Influence Diagrams, A Universal Decision Modeling Tool

“Decision Intelligence confronts AI”

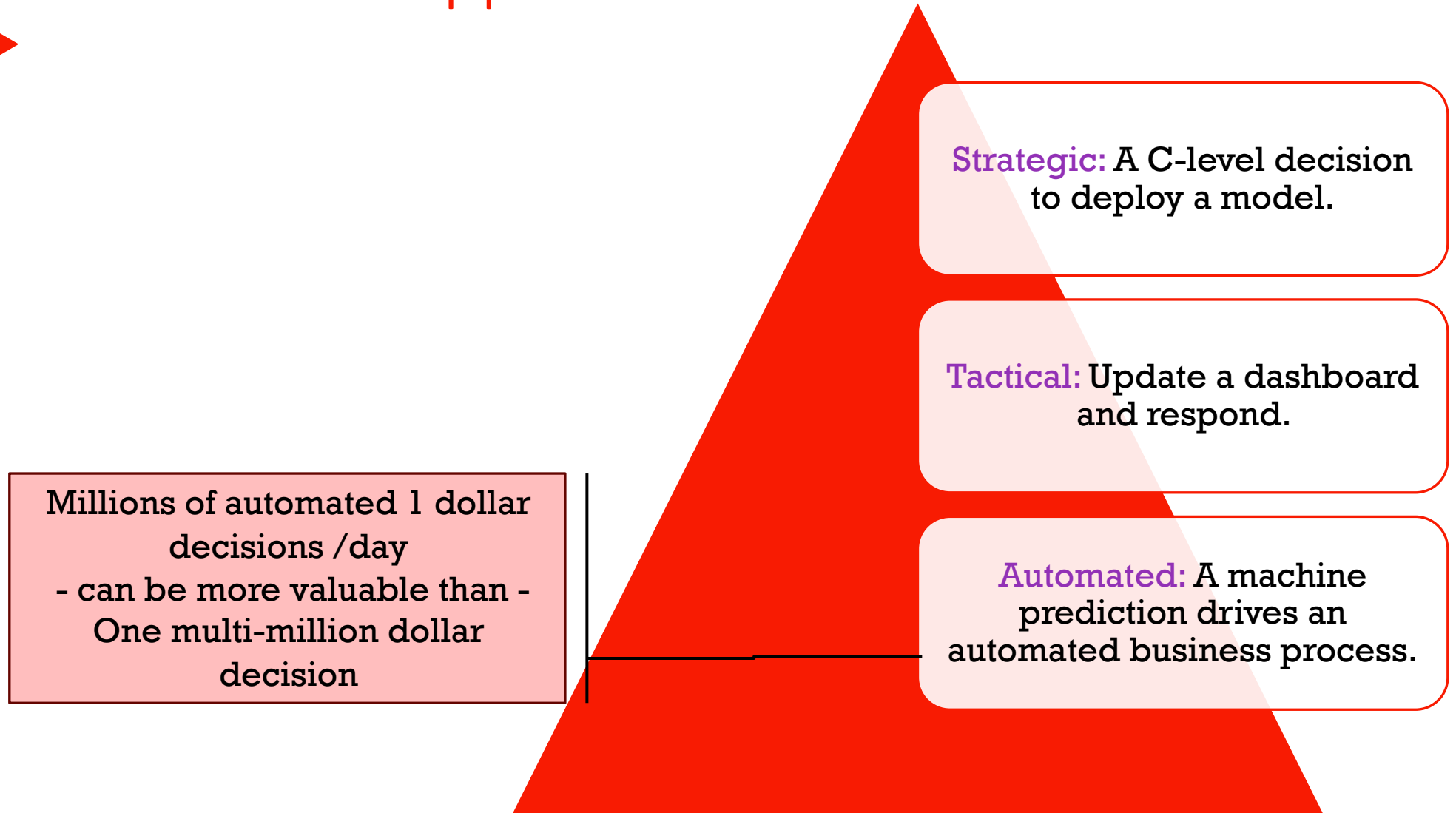
John Mark Agosta

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The method
and
An example of
*why predictions
go wrong*

- Modeling decisions under uncertainty
- DQ terms: “outcomes” & “rigor”
- Influence diagrams for combined predictive –value modeling
- An example: “walk-in demand”
- Demo: Solve it as an Influence diagram

Decisions happen at all Levels



Premise:
“Intelligence”
is
Rational choice.

- A *decision* makes a tangible **change**; an allocation that is not revocable.
- A *rational decision* aligns actions to **maximize** a measure over **outcomes**
- *Outcomes* can be **assigned values** by which they can be compared
- *Predictions* are **uncertainties** over outcomes, expressed by probability

Models

“Models to automate decisions”

Variables fall into one of three kinds

Outcome values



Conditional probabilities



Decisions, policies

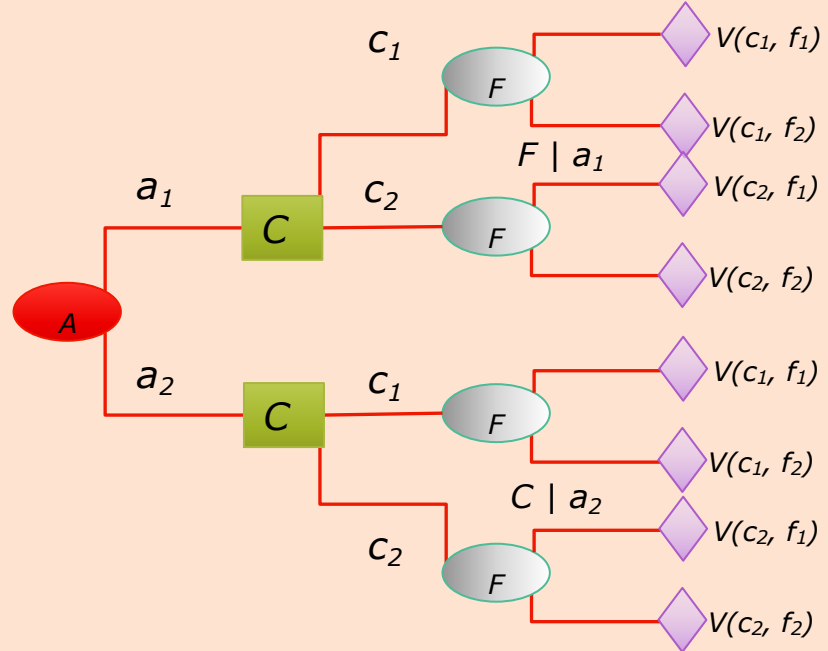


* **Influence Diagrams**, aka
- Bayes Networks,
- Probabilistic Graphical Models
- Structural Equation Models
have three kinds of variables.

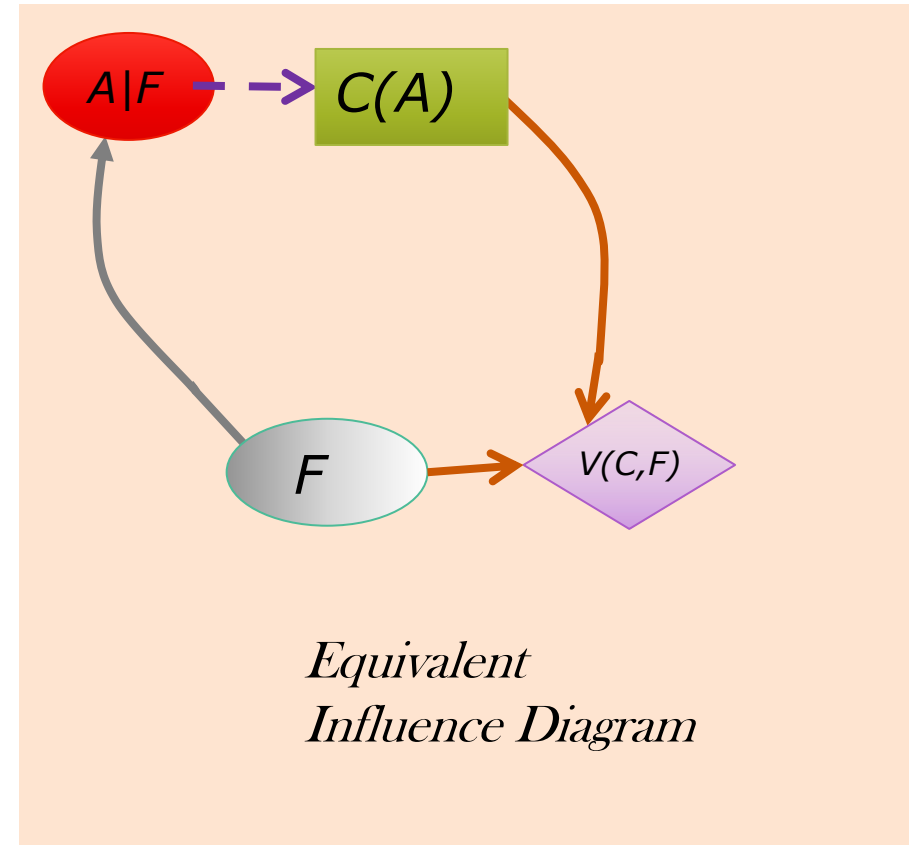
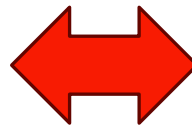
* **Arcs** show the influences among them

* Decision models, as one might draw out in a tree, can be **formulated and solved** by Influence Diagrams

Influence Diagrams are concise, causal, and computational



Tree, With Decision and Outcomes



*Equivalent
Influence Diagram*

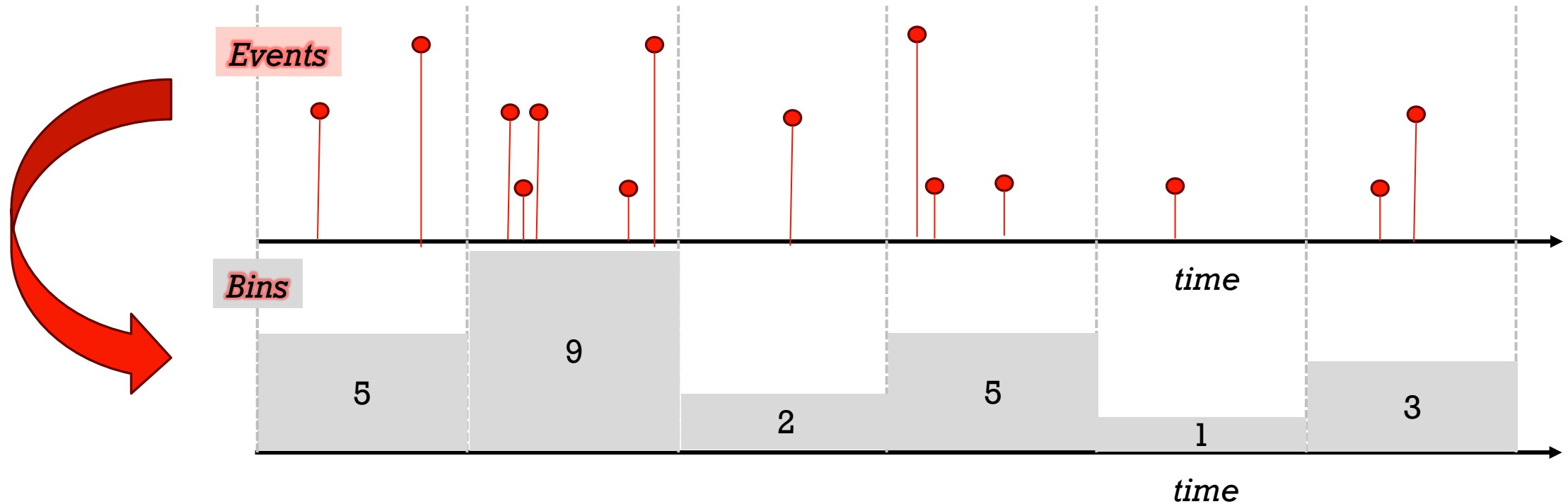
The “walk-in” (e.g. news vendor) problem

Decision: *How much to under or over provision at any one time.*

Examples:

- How many hospital beds to have ready?
- How many perishable items to store?
- How many fast-food items to keep on hand?
- How many live CSR staff to take calls?
- How many network servers to provision?

The “data”



- People (**walk-ins**) arrive at random times.
- The number of walk-ins is **binned** for each time interval.
- The **decision** is to anticipate how many need to be served.

Probability model: *Learn predictor of X from Y*

- The history of walk-ins over time is the data set from which to predict the probability distribution of walk-ins.
- Other predictor variables, not shown, may also condition the prediction

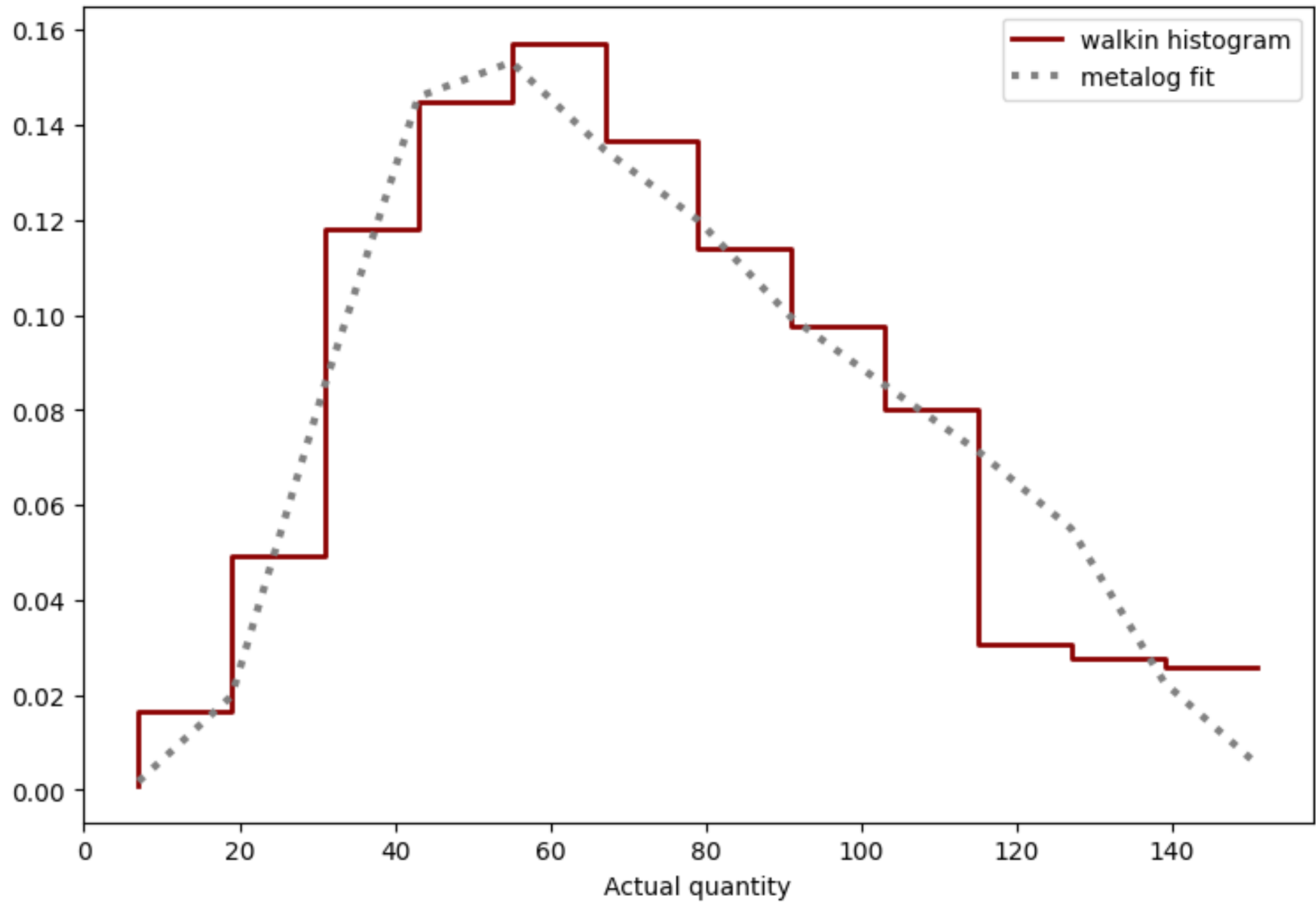


$P(Y | X)$:
Observed
walk-ins history
(training data)



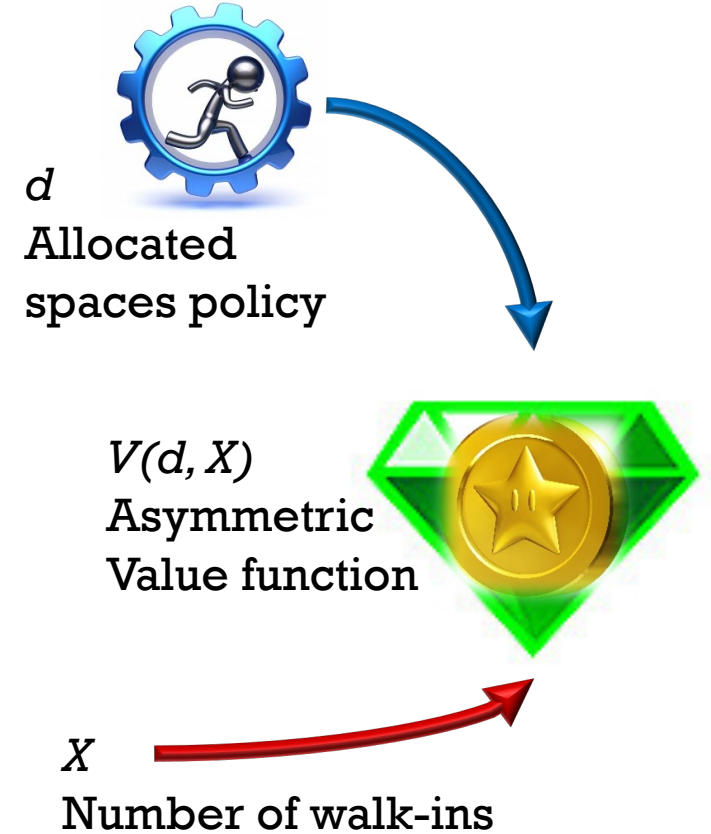
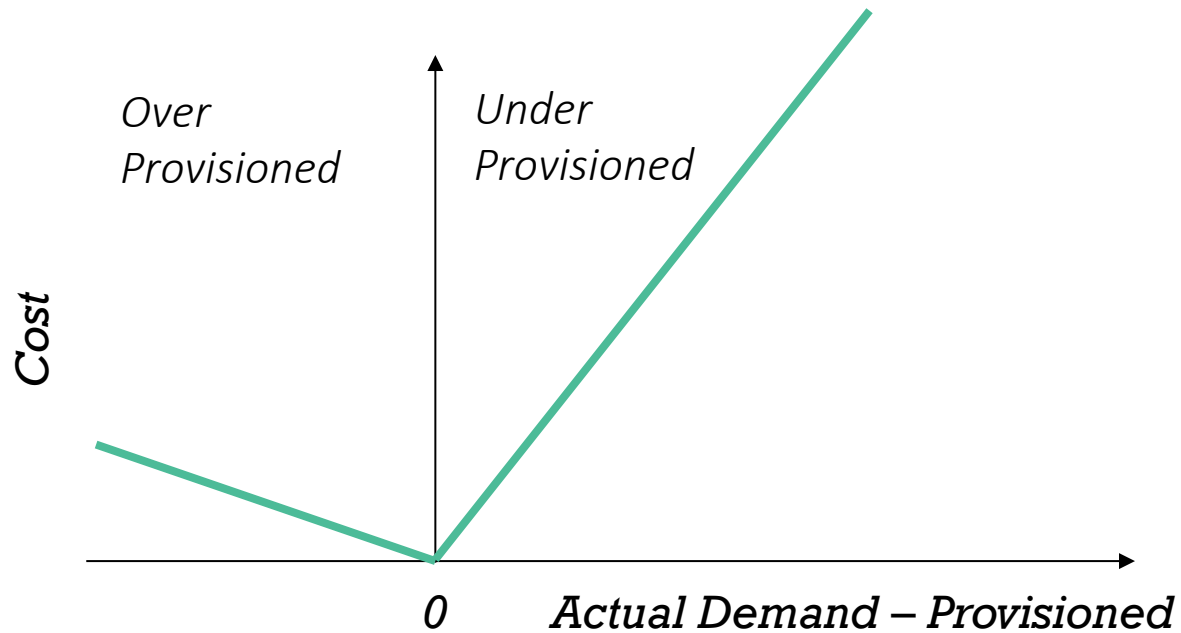
$P(X)$:
True, unobserved
distribution of walk-ins

Walk-in Probability Density

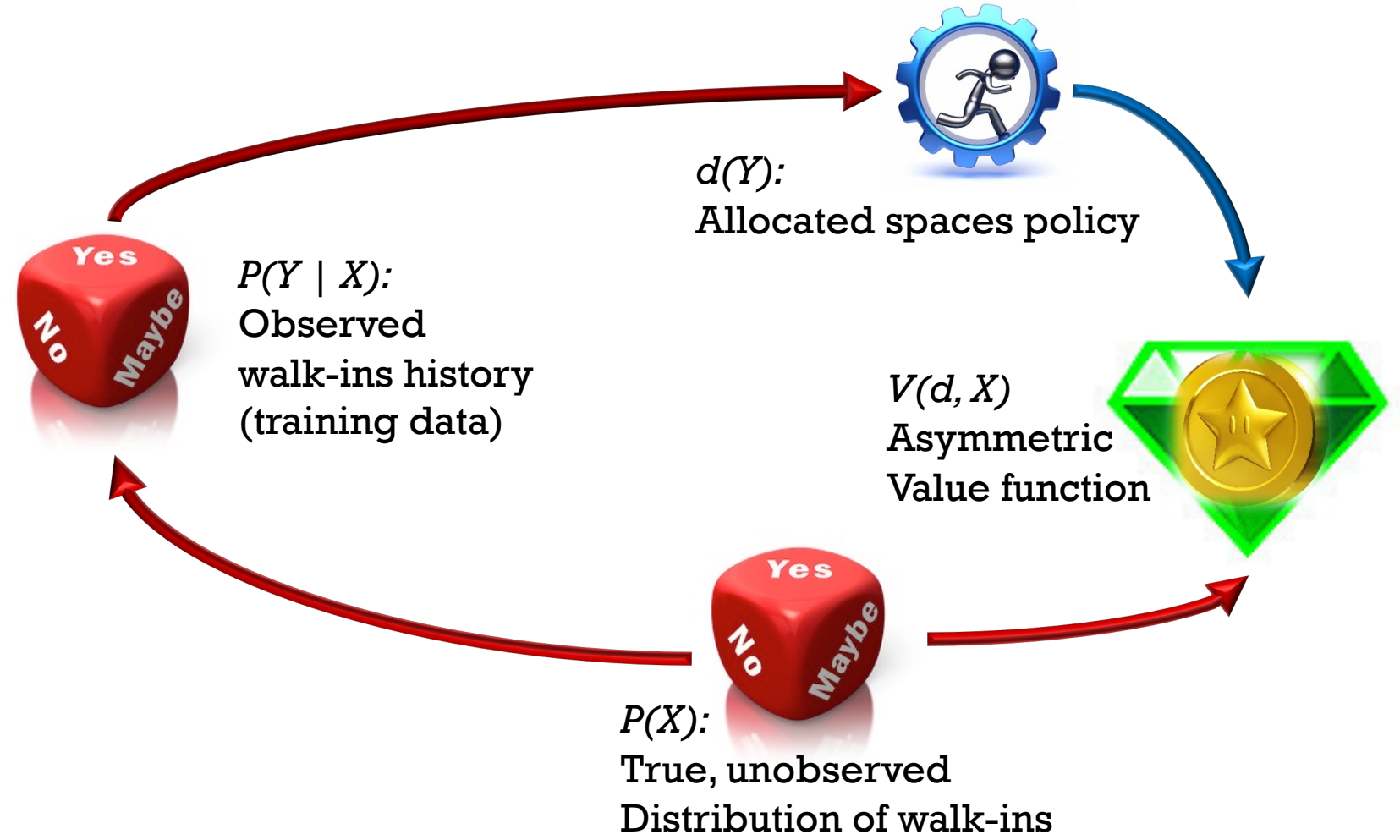


Value Model: *Elicit the tradeoff for under and over provisioning*

- The *asymmetric* value model expresses the costs of wasted space versus lost business in dollar terms.

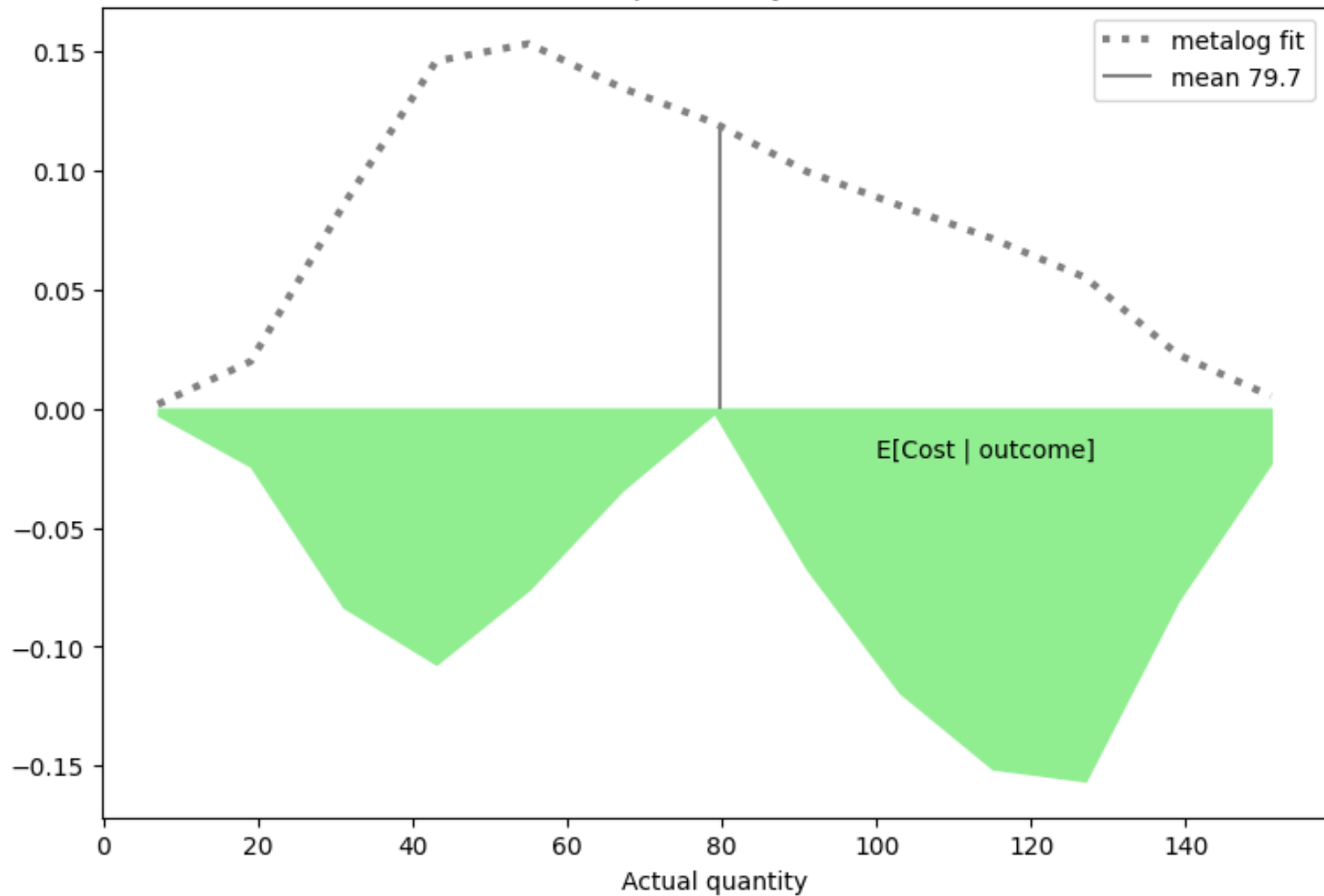


Influence Diagram: Combined walk-in model: *Solve for* $d(Y)$



- First, predict $P(X)$ from the training data
- Second, optimize the value tradeoff

Cost of the outcome = probability * cost of each outcome.



Demonstration

Takeaways



A combined predictive – value model is needed when the prediction is intrinsically uncertain.



By not weighing errors a predictive model alone gives the wrong answer.

2-level
Hierarchical regression causal model

